Probabilistic Programming for Voucher Information Extraction
Preliminary Practical Experiences
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Probabilistic Programming for Voucher Information Extraction

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Preliminary Practical Experiences

Introduction to Skanned.com

Skanned.com provides a Voucher Scanning service for extracting information from vouchers like product lines, total amounts, payment date, sender and recipient.

Vouchers vary heavily in size, layout, purpose and content; the scan quality is occasionally suboptimal. Probabilistic programming provides an opportunity to:

• Combine domain knowledge and machine learning to effectively extract features in a systematic fashion.
• Quantify confidence in results, which is important for manual validation.

Skanned.com’s Pipeline

• OCR Optical Character Recognition extracts textboxes from PDFs.
• Feature Extractors extract information from the text boxes.

Finding Features w/Keywords

Features are usually located around identifying keywords. Keywords can be positive or negative depending on the feature to be found.

<table>
<thead>
<tr>
<th>Total Amount Excl. VAT</th>
<th>23613.00 DKK</th>
</tr>
</thead>
<tbody>
<tr>
<td>Total VAT</td>
<td>5903.25 DKK</td>
</tr>
<tr>
<td>Total Amount</td>
<td>29516.25 DKK</td>
</tr>
</tbody>
</table>

Probabilistic model below tries to infer a latent score $r$ from the vector of observed angles $\vec{\theta}^+$ and distances $\vec{d}^+$ from positive keywords to potential target features.

$$r \sim \mathcal{B}(0.5,0.5) \quad \tilde{r} = (r, 1 - r)$$

$$w_1^+ = (0.7,0.3) \quad \mu_{1}^+ = (0,\frac{\pi}{2})$$

$$w_2^+ = (0.5,0.2,0.3) \quad \mu_{2}^+ = (-\frac{\pi}{2},\frac{\pi}{4},\frac{3\pi}{4})$$

$$\vec{\theta}^+ | r \sim \tilde{r}_j \sum_{i=1}^{2} w_{j,i}^+ \mathcal{N}(\mu_{j,i}^+, \frac{4}{\pi})$$

$$\vec{d}^+ | r \sim \tilde{r}_1 \mathcal{N}^+(500) + \tilde{r}_2 \mathcal{N}(1500,1000)$$

Evaluating extended version on 1000 vouchers:
• 80% of the time the expected score found the target feature
• 99% of the time it was within confidence interval

Voucher Grouping

To provide more accurate models, to partition the voucher into groups of similar layout and style. We rely on probabilistic Latent Dirichlet Allocation (LDA) to perform the grouping, using visual (colors, lines) and textual cues (keywords).

Practical Experiences

Sampling

Ease of use  ✔  Precision  ✗  Scalability

Variational Inference

✔  Scalability  ✗  Set-up  ✔  Precision

GPU Support

✔  Ease of use  ✗  Precision

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